

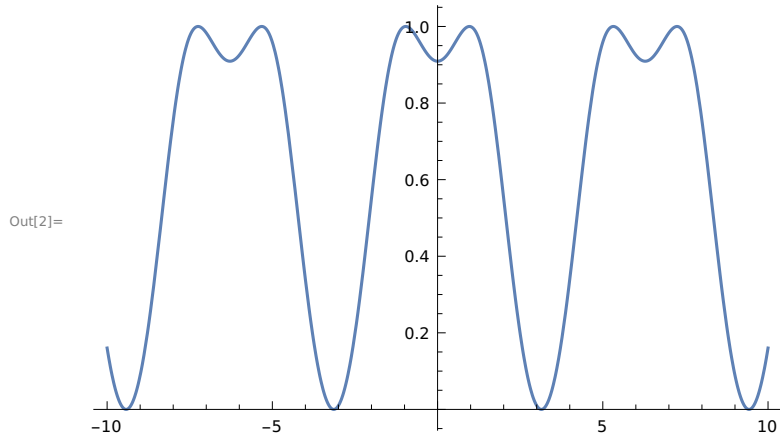
Ex - 3.2

Q. 1 : PLOT THE FOLLOWING FUNCTIONS ON THE DOMAIN $-10 \leq x \leq 10$.

a) $\sin(1+\cos(x))$

```
In[1]:= f[x_] := Sin[1 + Cos[x]]
```

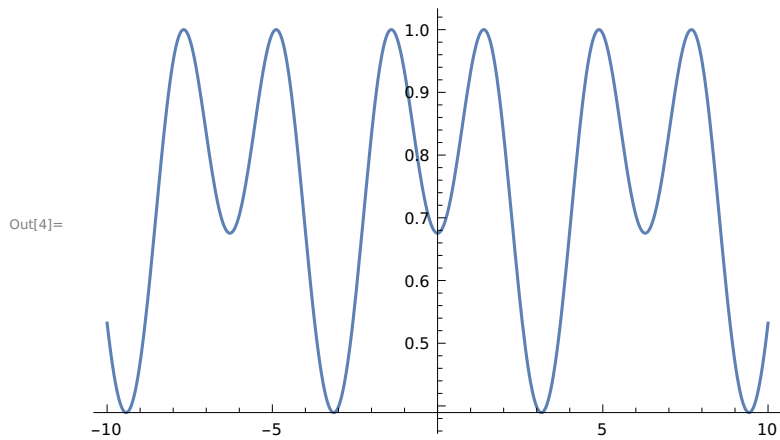
```
In[2]:= Plot[f[x], {x, -10, 10}]
```



b) $\sin(1.4+\cos(x))$

```
In[3]:= f[x_] := Sin[1.4 + Cos[x]]
```

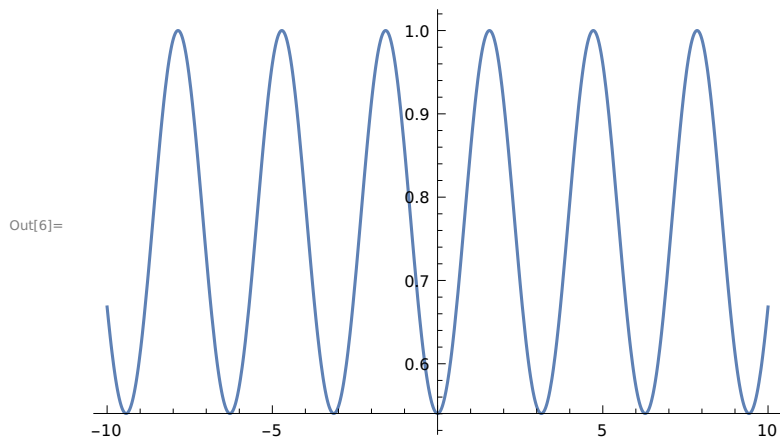
```
In[4]:= Plot[f[x], {x, -10, 10}]
```



c) $\sin(\pi/2 + \cos(x))$

```
In[5]:= f[x_] := Sin[Pi / 2 + Cos[x]]
```

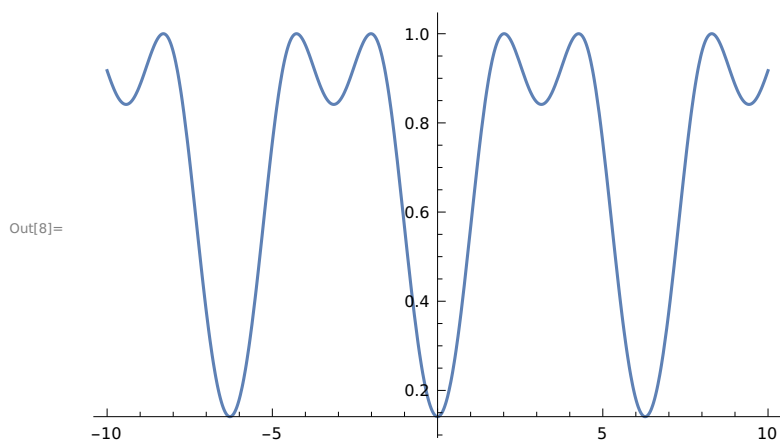
In[6]:= `Plot[f[x], {x, -10, 10}]`



d) $\sin(2+\cos(x))$

In[7]:= `f[x_] := Sin[2 + Cos[x]]`

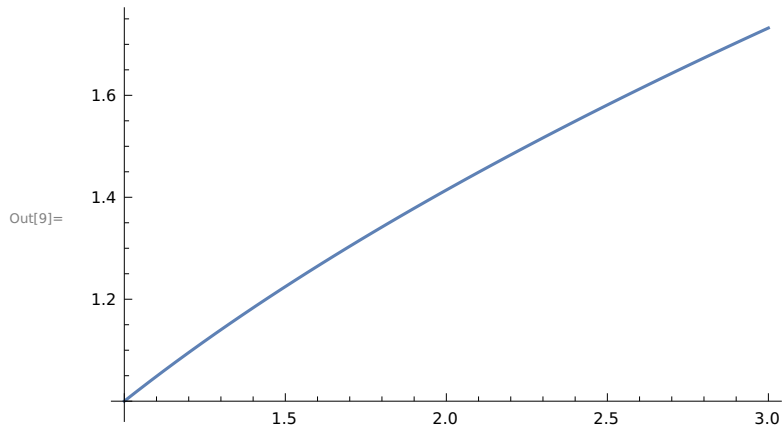
In[8]:= `Plot[f[x], {x, -10, 10}]`



Q2 : CONSIDER THE SQUARE ROOT FUNCTION $f(x) = \sqrt{x}$, WHEN x IS NEAR 2 .

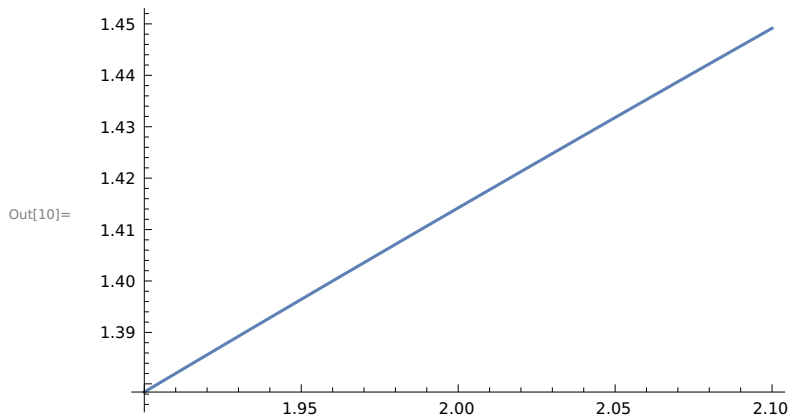
a) Graph of f as x goes from 1 to 3.

In[9]:= `With[{ $\delta = 10^0$ }, Plot[Sqrt[x], {x, 2 - δ , 2 + δ }]`

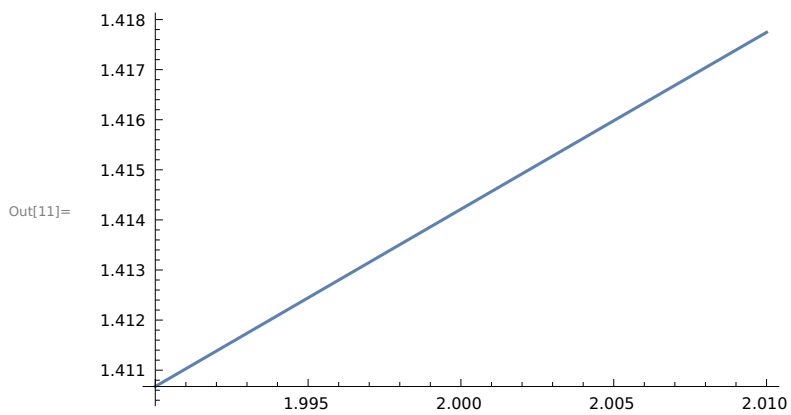


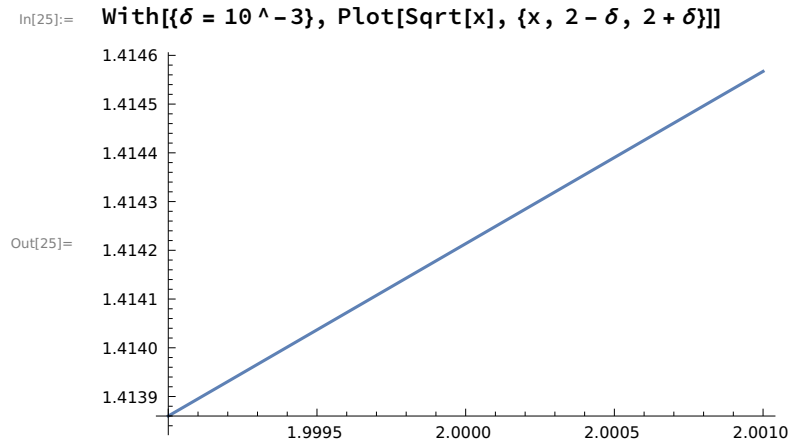
b) Change the value of δ to be 10^{-1} , 10^{-2} , 10^{-3} and see the graph of f as x goes from 1.9 to 2.1.

In[10]:= `With[{ $\delta = 10^{-1}$ }, Plot[Sqrt[x], {x, 2 - δ , 2 + δ }]`



In[11]:= `With[{ $\delta = 10^{-2}$ }, Plot[Sqrt[x], {x, 2 - δ , 2 + δ }]`





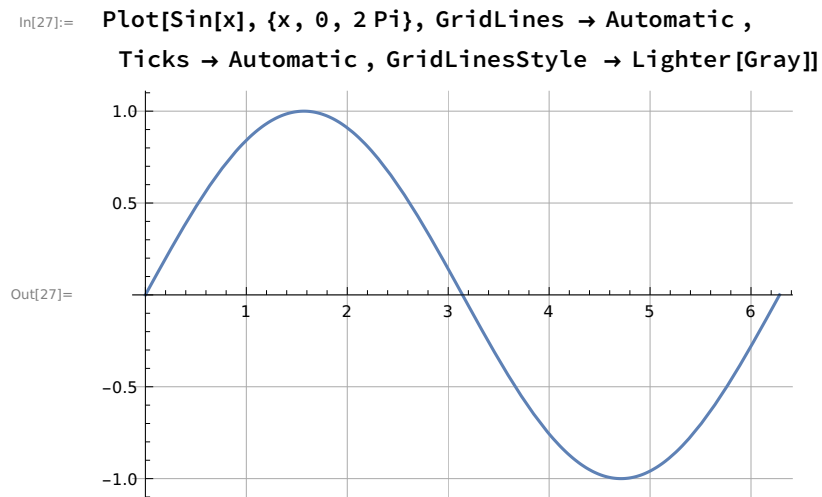
c) Use the last plot to approximate $\sqrt{2}$ to six significant digits . check your answer using N.
By the above plots we can approximate that $\sqrt{2} = 1.41421$

In[26]:= `N[Sqrt[2], 6]`

Out[26]= 1.41421

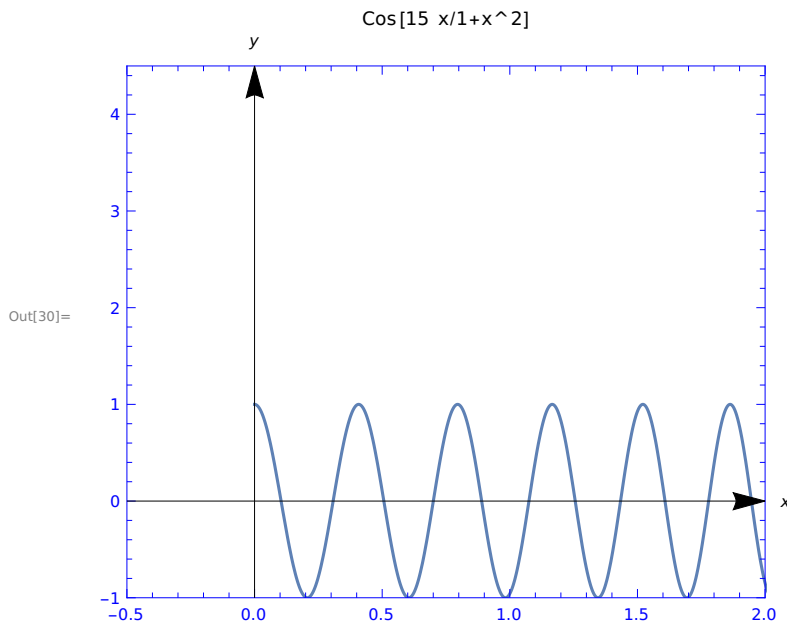
EX : 3.3

Q.1. USE THE GRIDLINES AND TICK OPTIONS , AS WELL AS THE SETTING GRIDLINESSTYLE->LIGHTER[GRAY] TO PLOT THE SINE FUNCTION .



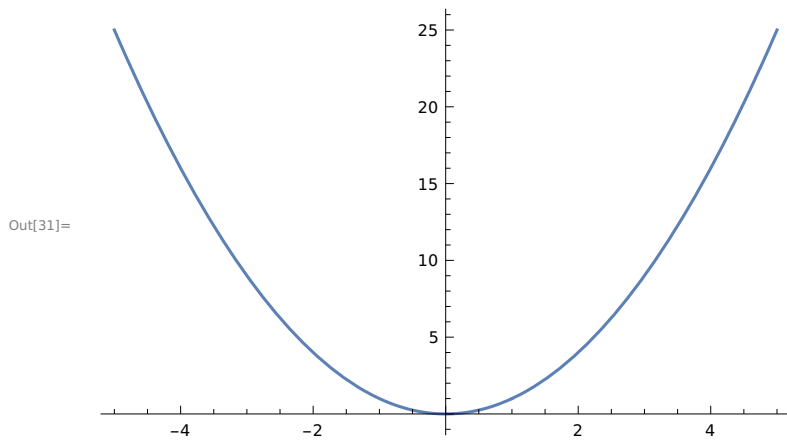
Q.2. USE THE AXES , FRAME, FILLING , FRAMESTYLE , PLOT RANGE AND ASPECTRATIO OPTIONS TO PLOT $Y = \cos(15x)/1+x^2$.

```
In[30]:= Plot[Cos[15 x / 1 + x^2], {x, 0, Pi}, PlotRange → {{-0.5, 2}, {-1, 4.5}},
  Frame → True, AxesStyle → Arrowheads[00.05], AspectRatio → 5 / 6,
  AxesLabel → {x, y}, PlotLabel → "Cos[15 x/1+x^2]", FrameStyle → Blue]
```



Q.4. PLOT THE FUNCTION $f(x)=x^2$ ON THE DOMAIN $-2 \leq x \leq 2$ AND SET EXCLUSIONS TO $x = 1$.

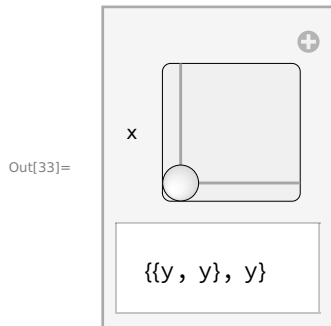
```
In[31]:= Plot[x^2, {x, -5, 5}, Exclusions → {x == 1}]
```



EX: 3.4

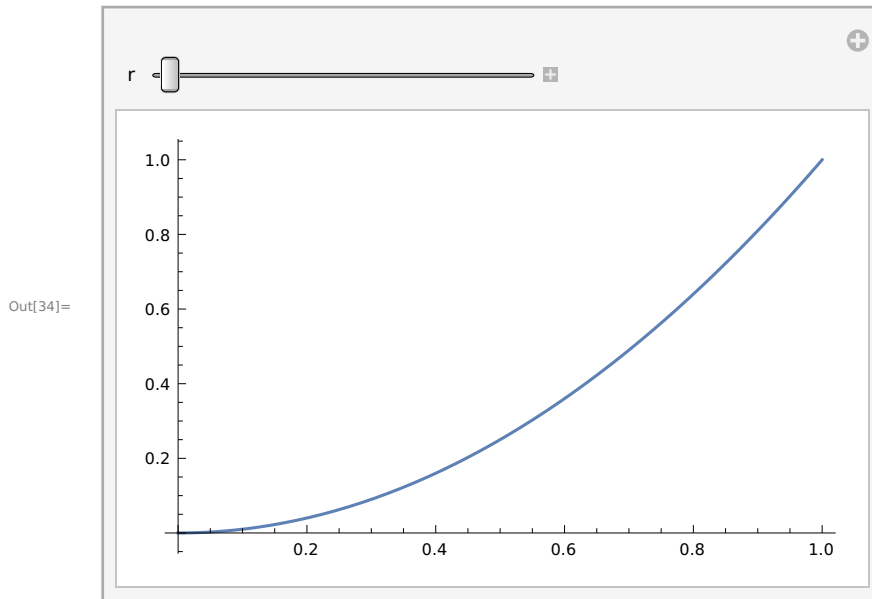
Q.1. MAKE A HAS MANIPULATE OUTPUT {X,Y}, BUT HAS A SINGLE SLIDER 2D CONTROLLER.

In[33]:= **Manipulate** [{x, y}, {x, y, {0, 1}}



Q.2. MAKE A MANIPULATE OF A PLOT WHERE THE USER CAN ADJUST THE ASPECTRATIO IN REAL TIME FROM STARTING VALUE OF 1/5 TO AN ENDING VALUE OF 5 .
SET IMAGE SIZE TO{AUTOMATIC 128} SO THE HEIGHT REMAINS CONSTANT AS THE SLIDER IS MOVED

In[34]:= **Manipulate** [Plot[x^2, {x, 0, r}], {r, 1, 3}, ImageSize → {Automatic128}, AspectRatio → 5 / 6]



EX : 3.5

Q.1. THE PARTITION COMMAND IS USED TO BREAK A SINGLE LIST INTO SUBLISTS OF EQUAL LENGTH. IT IS USEFUL FOR BREAKING UP A LIST INTO ROWS FOR DISPLAYS WITHIN A GRID.

a) Enter the following inputs and discuss the outputs.

In[35]:= **Range[100]**

Out[35]= {1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22,
23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41,
42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60, 61,
62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80, 81,
82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99, 100}

In[36]:= **Partition[Range[100], 10]**

Out[36]= {{1, 2, 3, 4, 5, 6, 7, 8, 9, 10}, {11, 12, 13, 14, 15, 16, 17, 18, 19, 20},
{21, 22, 23, 24, 25, 26, 27, 28, 29, 30}, {31, 32, 33, 34, 35, 36, 37, 38, 39, 40},
{41, 42, 43, 44, 45, 46, 47, 48, 49, 50}, {51, 52, 53, 54, 55, 56, 57, 58, 59, 60},
{61, 62, 63, 64, 65, 66, 67, 68, 69, 70}, {71, 72, 73, 74, 75, 76, 77, 78, 79, 80},
{81, 82, 83, 84, 85, 86, 87, 88, 89, 90}, {91, 92, 93, 94, 95, 96, 97, 98, 99, 100}}

b) Form a table of the first 100 integers , with twenty digits per row. The first two rows , for example , should look like this : 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32
33 34 35 36 37 38 39 40

In[37]:= **Table[x, {x, 1, 100}]**

Out[37]= {1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22,
23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41,
42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60, 61,
62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80, 81,
82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99, 100}

In[38]:= **Partition[Table[x, {x, 1, 100}], 20]**

Out[38]= {{1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20},
{21, 22, 23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40},
{41, 42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60},
{61, 62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80},
{81, 82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99, 100}}

c) Make the same table as above , but use only the table and range command.

In[39]:= **Table[Range[10], 10]**

Out[39]= {{1, 2, 3, 4, 5, 6, 7, 8, 9, 10}, {1, 2, 3, 4, 5, 6, 7, 8, 9, 10}, {1, 2, 3, 4, 5, 6, 7, 8, 9, 10},
{1, 2, 3, 4, 5, 6, 7, 8, 9, 10}, {1, 2, 3, 4, 5, 6, 7, 8, 9, 10},
{1, 2, 3, 4, 5, 6, 7, 8, 9, 10}, {1, 2, 3, 4, 5, 6, 7, 8, 9, 10},
{1, 2, 3, 4, 5, 6, 7, 8, 9, 10}, {1, 2, 3, 4, 5, 6, 7, 8, 9, 10}, {1, 2, 3, 4, 5, 6, 7, 8, 9, 10}}

d) Make the same table as above but use only the table command twice . do not use partition or range .

In[41]:= **Table[Table[x, {x, 1, 100}]]**

Out[41]= {1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22, 23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41, 42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60, 61, 62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80, 81, 82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99, 100}

Q.4. THE SUM COMMAND HAS A SYNTAX SIMILAR TO THAT OF TABLE .

a) Use the sum command to evaluate the following expression:

$$1^3+2^3+3^3+4^3+5^3+6^3+7^3+8^3+9^3+10^3+11^3+12^3+13^3+14^3+15^3+16^3+17^3+18^3+19^3+20^3$$

In[42]:= **f[x_] := x ^ 3**

In[43]:= **Sum[f[x], {x, 1, 20}]**

Out[43]= 44 100

b) Make a table of values for $x=1, 2, \dots, 10$ for the function

$$f(x)=1+2^x+3^x+4^x+5^x+6^x+7^x+8^x+9^x+10^x+11^x+12^x+13^x+14^x+15^x+16^x+17^x+18^x+19^x+20^x$$

In[44]:= **f[x_] := 1 + 2 ^ x + 3 ^ x + 4 ^ x + 5 ^ x + 6 ^ x + 7 ^ x + 8 ^ x + 9 ^ x + 10 ^ x + 11 ^ x + 12 ^ x + 13 ^ x + 14 ^ x + 15 ^ x + 16 ^ x + 17 ^ x + 18 ^ x + 19 ^ x + 20 ^ x**

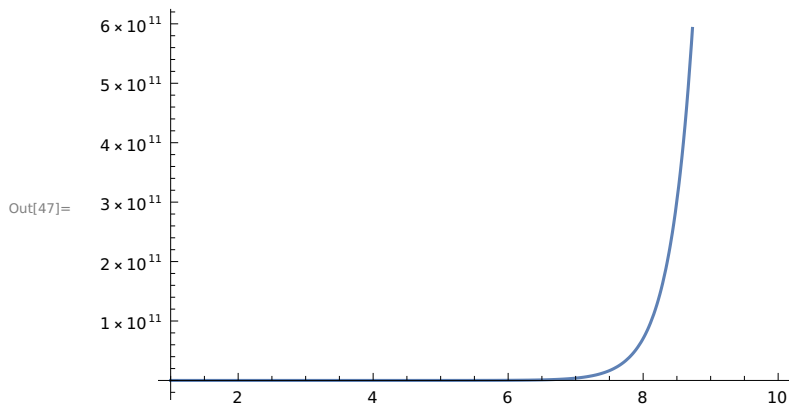
In[45]:= **Table[f[x], {x, 1, 10}]**

Out[45]= {210, 2870, 44 100, 722 666, 12 333 300, 216 455 810, 3 877 286 700, 70 540 730 666, 1 299 155 279 940, 24 163 571 680 850 }

c) Plot $f(x)$ on the domain $1 \leq x \leq 10$.

In[46]:= **f[x_] := 1 + 2 ^ x + 3 ^ x + 4 ^ x + 5 ^ x + 6 ^ x + 7 ^ x + 8 ^ x + 9 ^ x + 10 ^ x + 11 ^ x + 12 ^ x + 13 ^ x + 14 ^ x + 15 ^ x + 16 ^ x + 17 ^ x + 18 ^ x + 19 ^ x + 20 ^ x**

In[47]:= **Plot[f[x], {x, 1, 10}]**



EX: 3.6

Q.2. MAKE A PLOT OF A PIECEWISE FUNCTION BELOW AND COMMENT ON ITS SHAPE.

$$f(x) = \begin{cases} 0, & x < 0; \\ x^2/2, & 0 \leq x < 1; \\ -x^2 + 3x - 3/2, & 1 \leq x < 2 \\ (1/2)(3-x)^2, & 2 \leq x < 3 \end{cases}$$

$$x^2/2, \quad 0 \leq x < 1;$$

$$-x^2 + 3x - 3/2, \quad 1 \leq x < 2$$

$$(1/2)(3-x)^2, \quad 2 \leq x < 3$$

```
In[49]:= f[x_] := Piecewise[{{0, x < 0}, {x^2/2, 0 ≤ x ≤ 1},
  {-x^2 + 3 x - 3/2, 1 ≤ x ≤ 2}, {(1/2) (3 - x)^2, 2 ≤ x ≤ 3}, {0, x ≤ 3}}]
```

```
In[50]:= Plot[f[x], {x, -3, 3}]
```

