

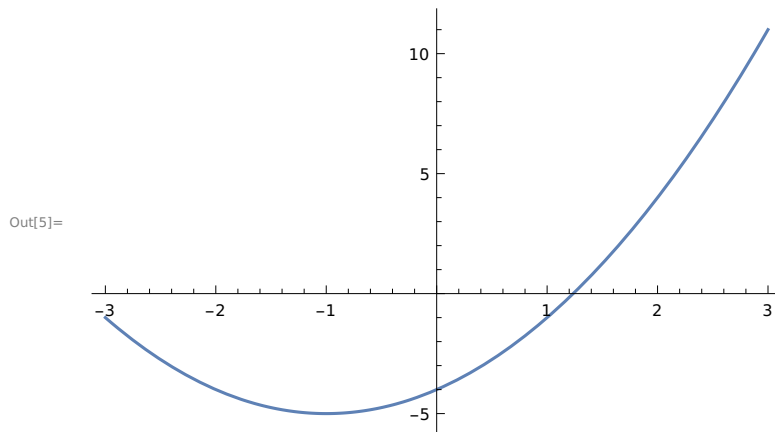
DEFINING FUNCTION and PLOTTING GRAPHS

Before plotting graph of any function , we must define that function for our ease . This could be a polynomial , log function , exponential , etc . In MATHEMATICA , a function is defined using the command $\rightarrow f[x_] :=$ (our desired function) as given below :-

```
f[x_] := x^2 + 2 x - 4
```

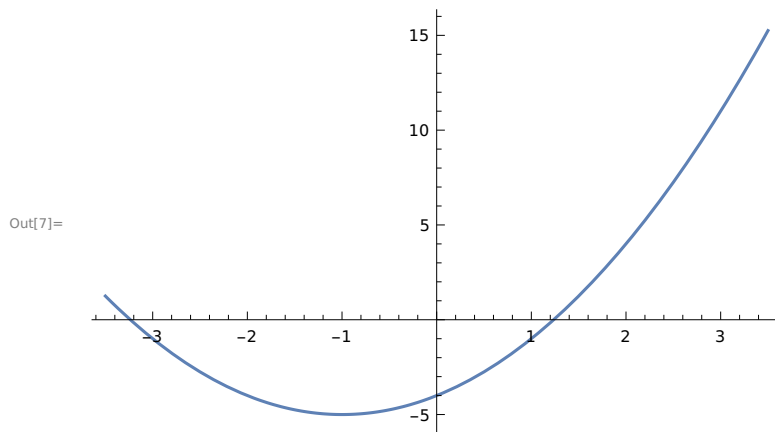
Now, we can plot this function using the command \rightarrow **Plot** in our desired domain which is [-3, 3] here

```
In[5]:= Plot[f[x], {x, -3, 3}]
```



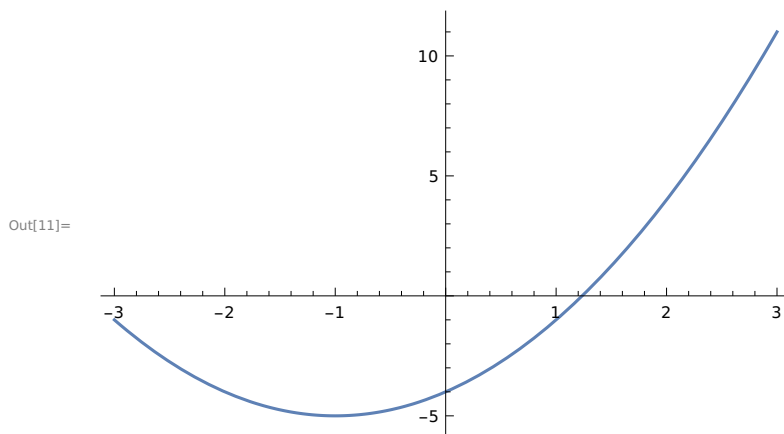
We can alter our domain and choose any real value as per our requirement .

```
In[7]:= Plot[f[x], {x, -3.5, 3.5}]
```



Now , if we want to have a more zoomed view of the graph ,
for example , the result that the graph would hold at $3.00000 \dots .1$,
so it is quite difficult to write this
domain over and over in the input (i.e - command) ,
hence we define a term ' δ ' according to the decimal places we need and
by using the command \rightarrow **With** , we can plot our graph as shown below : -

```
In[11]:= With[{ $\delta = 10^{-10}$ }, Plot[f[x], {x, -(3 -  $\delta$ ), 3 +  $\delta$ }]
```

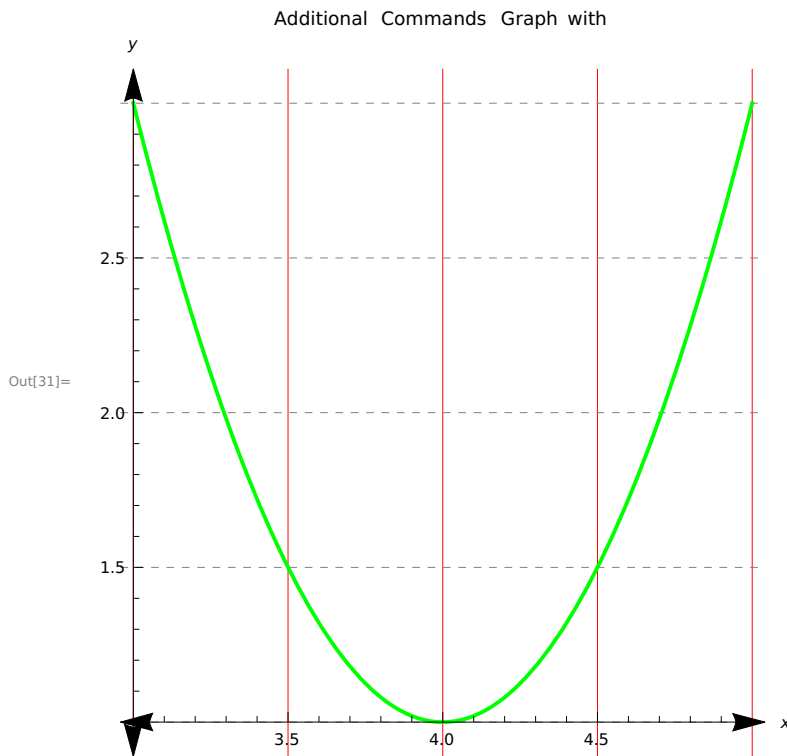


Above mentioned commands were the basic and mandatory commands for plotting, now we have some additional commands to beautify and highlight our graphs such as

- 1). **GridLines** - We use it to provide gridlines in our graph. It is written as **GridLines → Automatic**.
- 1.1). **GridLinesStyle** - used to decide colour, style of our grid. It is written as **GridLines → {desired style, color}**
- 2). **PlotStyle** - used to give color and style to our graph.
- 3). **AspectRatio** - It gives the equal scaling on both the axes. It is written as **AspectRatio → Automatic**
- 4). **AxesLabel** - It gives name to our x-axis and y-axis. It is written as **AxesLabel → {name of x-axis, name of y-axis}**.
- 5). **PlotLabel** - It is used to title our graph. It is written as **PlotLabel → name of the graph**
- 6). **AxesStyle and Arrowheads** - They give arrow as designs to our x and y axis. Written as **AxesStyle → Arrowheads [{-0.05, 0.05}]**. Here, 0.05 value means the head will scale to 5 × % of the width of the entire plot.
→ So, let's start applying these commands altogether as :-

In[12]:= `g[x_] := 2 (x - 4)^2 + 1`

```
In[31]:= Plot[g[x], {x, 3, 5}, GridLines -> Automatic, GridLinesStyle -> {Red, Dashed},
PlotStyle -> {Green, Thick}, AspectRatio -> Automatic, AxesLabel -> {x, y},
PlotLabel -> Graph with Additional Commands, AxesStyle -> Arrowheads[{-0.05, 0.05}]]
```



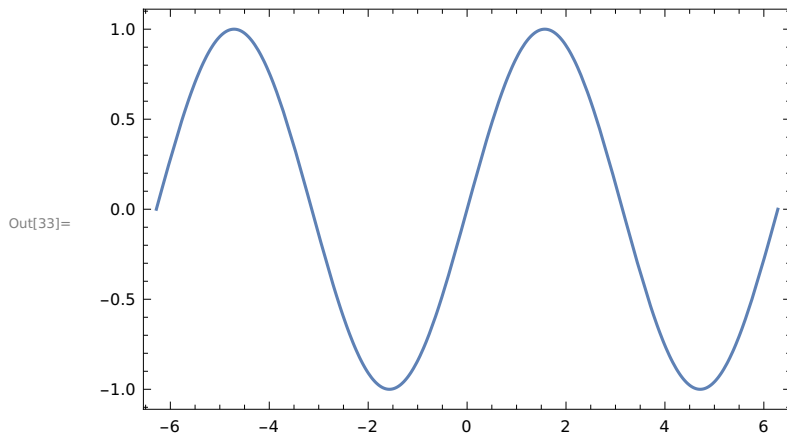
Another additional commands we come across are :-

- a). **Axes -> False** - If we want to remove the axes .
- b). **Frame -> True** - If we want our graph to be in a frame .

Usig these commands , we get the following results .

```
In[32]:= h[x_] := Sin[x]
```

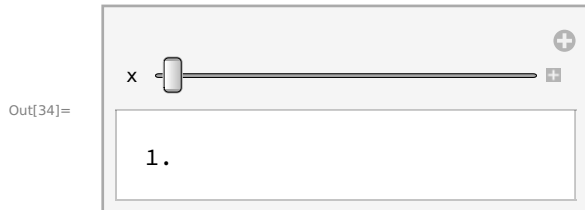
```
In[33]:= Plot[h[x], {x, -2 π, 2 π}, Axes -> False, Frame -> True]
```



→ MANIPULATE COMMANDS

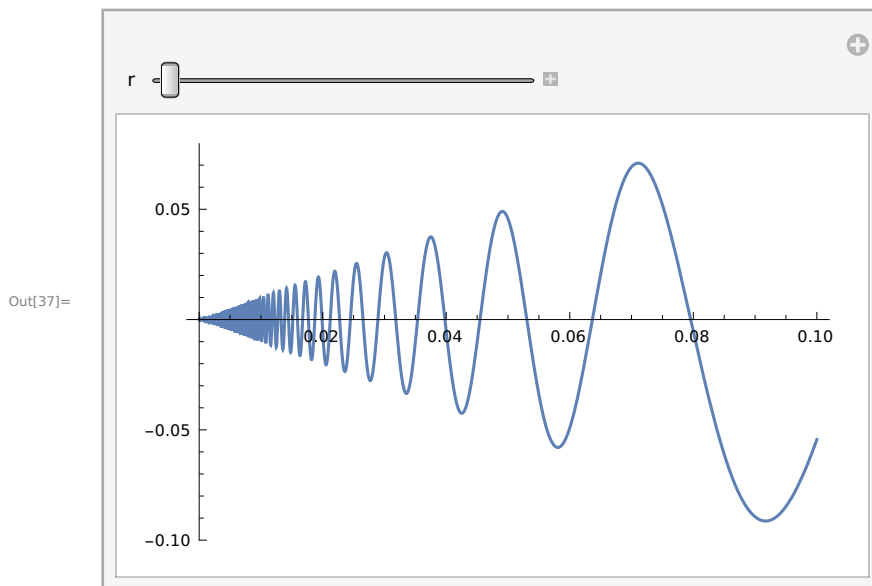
We use this command to evaluate a function defined over an interval, say, $1 \leq x \leq 10$, as given in the below example.

In[34]:= `Manipulate[x^2, {x, 1, 10}]`



Now, we can use this command to our plot command as well, to evaluate the result of our graph over any point or value, as follows :-

In[37]:= `Manipulate[Plot[x Sin[1/x], {x, 0, r}], {r, 0.1, 2}]`



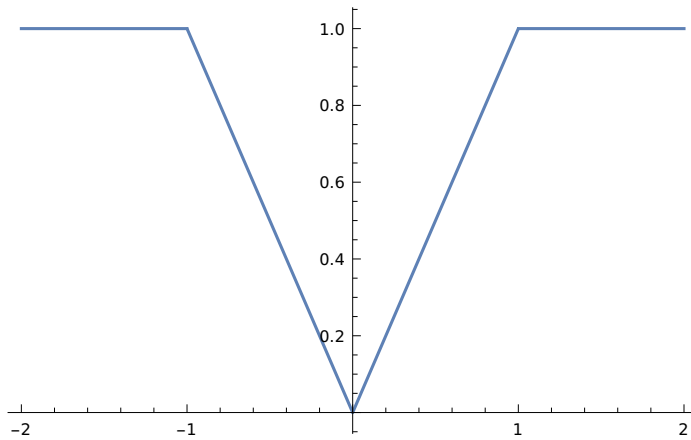
→ PIECEWISE COMMANDS

Used to define a function possessing different values at different intervals.

In[38]:= `k[x_] := Piecewise[{{x, 0 ≤ x ≤ 1}, {-x, -1 < x < 0}}, 1]`

```
In[39]:= Plot[k[x], {x, -2, 2}]
```

```
Out[39]=
```



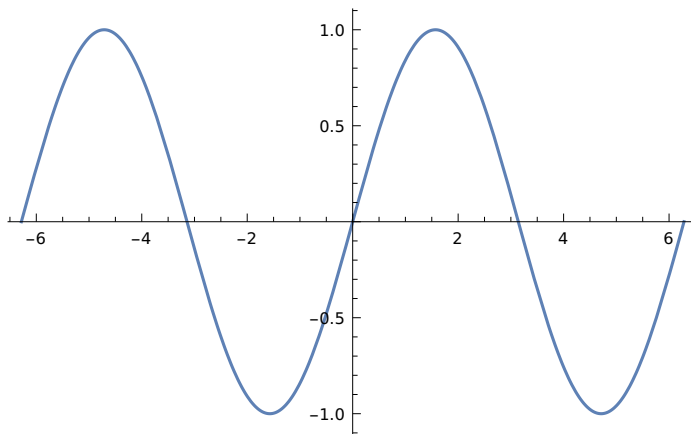
→ SUPERIMPOSING GRAPHS

Using MATHEMATICA we can plot two or more graphs on the same plane .

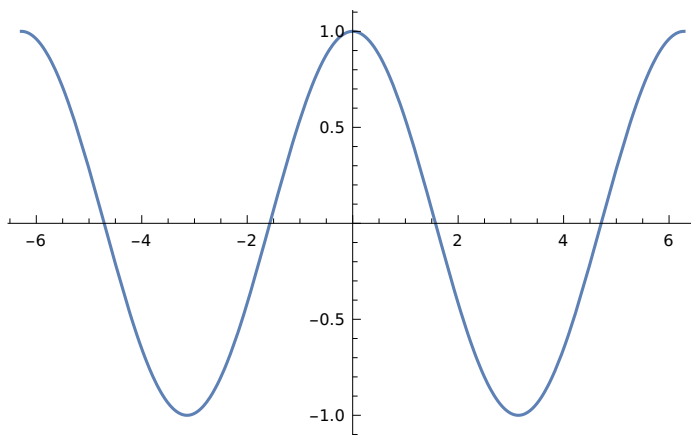
```
In[42]:= p1 = Plot[Sin[x], {x, -2 Pi, 2 Pi}]
```

```
p2 = Plot[Cos[x], {x, -2 Pi, 2 Pi}]
```

```
Out[42]=
```



```
Out[43]=
```



In[44]:= Show[p1, p2]

